# Lab Activity: Hypothesis Testing – Two Population Proportions

In this lab activity, you will conduct hypothesis testing for claims involving the proportions of two independent populations.

### **Student Learning Outcomes**

By the end of this chapter, you should be able to do the following:

- Perform hypothesis testing for two independent population proportions using Statcato
- Interpret the results of hypothesis tests

## **Preliminary**

Read Chapter 10 Hypothesis Testing: Two Means, Paired Data, Two Proportions in:

Illowsky, Barbara, and Susan Dean. <u>Collaborative Statistics</u>. Connexions. 2 Mar. 2010 <a href="http://cnx.org/content/col10522/1.37/">http://cnx.org/content/col10522/1.37/</a>.

# **Background**

In this activity, you will test claims involving the proportions of female population in two countries. Choose two countries from the table below for your experiment. Record your choices in LR: Data.

Country	Female Population	<b>Total Population</b>	Percent Female
Australia	10734838	21515754	49.89%
Canada	17008350	33759742	50.38%
Chile	8456100	16746491	50.49%
China	644502452	1330141295	48.45%
Czech Republic	5228334	10201707	51.25%
Denmark	2792214	5515575	50.62%
Dominican Republic	4827137	9794487	49.28%
Egypt	39684485	80471869	49.31%
Ethiopia	44692240	88013491	50.78%
France	33096095	64768389	51.10%
Georgia	2405671	4600825	52.29%
Germany	41809492	82282988	50.81%
Greece	5486512	10749943	51.04%
Haiti	4640831	9203083	50.43%
India	564474223	1173108018	48.12%
Indonesia	121381228	242968342	49.96%
Iran	33117760	67037517	49.40%
Iraq	14645875	29671605	49.36%
Israel	3667232	7353985	49.87%
Italy	29603104	58090681	50.96%

Jamaica	1438866	2847232	50.54%
Japan	65006136	126804433	51.26%
Korea, South	24298574	48636068	49.96%
Malaysia	13003185	26160256	49.71%
Mali	6967508	13796354	50.50%
Netherlands	8473913	16783092	50.49%
New Zealand	2136328	4252277	50.24%
Pakistan	85652500	177276594	48.32%
Russia	75250112	139390205	53.99%
Sweden	4576420	9074055	50.43%
Thailand	33584258	66404688	50.58%
Turkey	38581127	77804122	49.59%
United Kingdom	30922413	61284806	50.46%
United States	157479477	310232863	50.76%

Source: U.S. Census Bureau, International Data Base, Midyear Population 2010

### Formulating the Hypothesis Test

Answer the following questions in LR: Hypotheses.

- State the claim that you are testing. Make a guess on the relationship between the proportions of females of the two countries you have chosen.
  - O The proportion of females in <u>(country 1)</u> is <u>(less than/greater than/equal to/not equal to)</u> the proportion of females in <u>(country 2)</u>.
- State the null and alternative hypotheses.
  - $\circ$   $H_0$ :
  - O Ha:
- Is this a right-tailed, left-tailed, or two-tailed test?
- Define the random variable for this test.

# Performing the Hypothesis Test

Using Statcato, you will perform calculations for the hypothesis test using a significance level of 0.01 ( $\alpha = 0.01$ ).

# Performing Hypothesis Test: 2-Population Proportions

Go to Statistics > Hypothesis Tests > 2-Population Proportions.

- For **Inputs**, select **Summarized sample data**. Enter the number of events (number of females) and the number of events (total population) for the two countries.
- For Significance Level, enter 0.01.
- For Alternative Hypothesis, choose the appropriate form of the alternative hypothesis in the drop-down menu. Enter 0 in the Hypothesized Mean Difference text box.

• Click OK.

Copy the computation results to LR: Hypothesis Test.

## **Making Conclusions**

Based on the computer-generated results, you will make decisions and draw conclusions for the hypothesis tests. Record your answers in LR: Interpretation.

### **Decisions on Null Hypothesis**

Recall that

- If  $\alpha \le p$ -value, do not reject  $H_0$ .
- If  $\alpha > \text{p-value}$ , reject  $H_0$ .

Based on the significance level  $\alpha$  and the computed p-values, decide whether to reject  $H_0$  and explain why.

#### **Conclusions**

Based on your decisions on the null hypothesis, make a conclusion about your claim. For example, your conclusion could be worded as follows:

At the 5% level of significance,	the sample data (shows	/ does not show)	sufficient evidence
to support the claim that			

#### **Discussion**

Answer the following questions in LR: Discussion.

1. Does your conclusion match your expectation? What do you think are the reasons behind the presence or lack of difference between the two proportions?